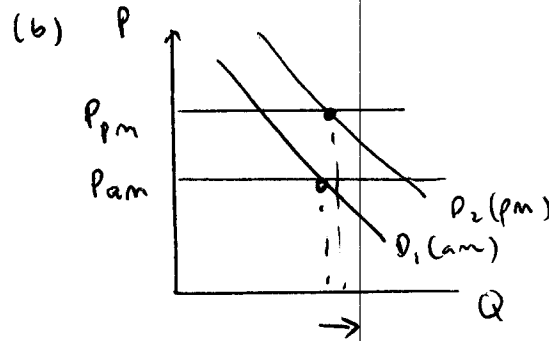
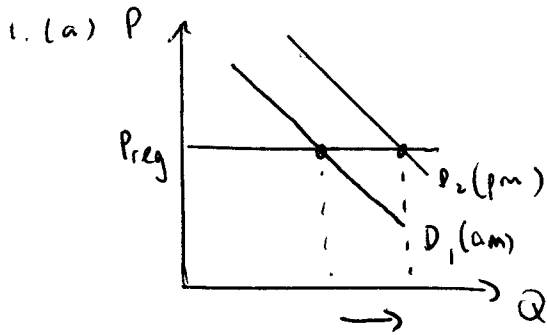
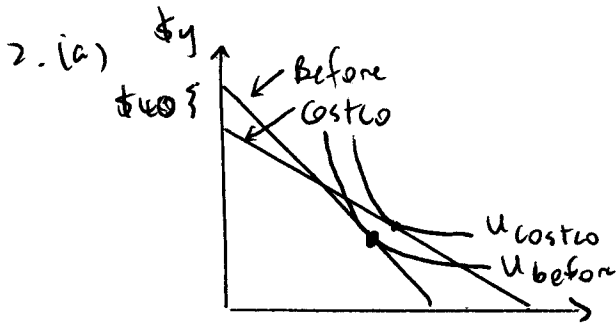


Version A



less increase in  $Q$  than in part (a) possibly even a decrease

(c) Simplest answer is that here total surplus = consumer surplus (due to horizontal  $S$ ) and this has fallen due to higher p.m. price. [More complicated answer is that most likely with time of day pricing  $P_{am} < P_{reg}$  and  $P_{pm} > P_{reg}$  and possibly surplus will rise].

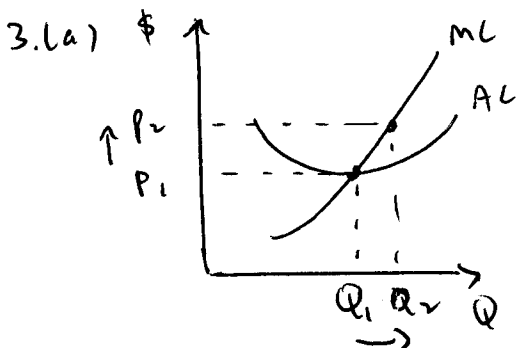


In (a) the budget line has lower  $y$  intercept and is flatter.

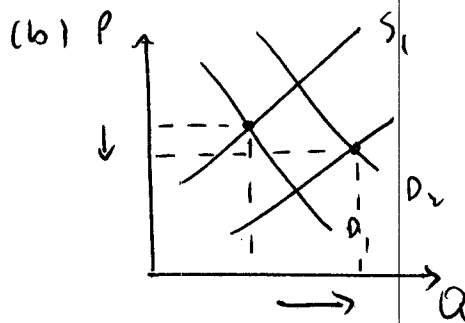
(b) Different answers are possible. As drawn better off as higher indifference curve.

(c) Definitely better off.

10% discount on \$400 equals \$40 which is Costco member fee. So same cost either way, but Costco permits pure substitution effect switch to cheaper food and better off.



Market price  $\uparrow \Rightarrow \underline{Q \uparrow}$



$Q \uparrow$  and ultimately  $P \downarrow$  as decreasing costs industry

(c) Upward sloping. Each firm has upward sloping MC. As industry gets larger firms with higher min AC enter.

## Version A (cont.)

$$4.(a) \text{MPP}_L = \frac{dQ}{dL} = \frac{d}{dL} (5L^{-.75}) = 5 \times .75 \times L^{-1.25} = 3.75 \times (10,000)^{-1.25} = \frac{3.75}{10} = \underline{\underline{.375}}$$

$$(b) \text{ML} = \# \text{ units labor to produce 1 more table} \times \text{cost of unit of labor} \\ = (\text{MPP}_L)^{-1} \times \text{wage} = (.375)^{-1} \times 100 = \underline{\underline{\$266.67}}$$

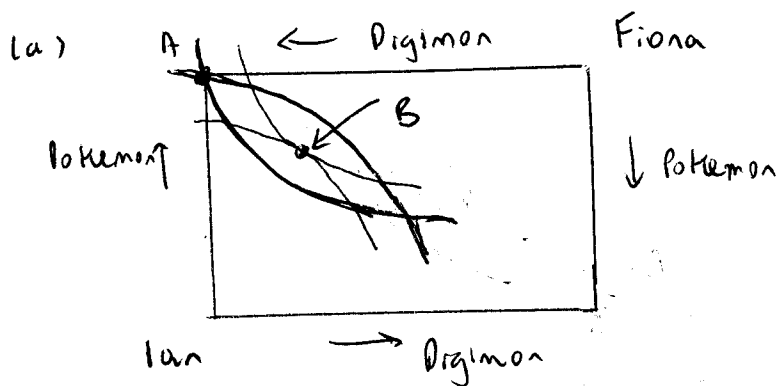
(c) First get MRTS<sub>KL</sub>

$$Q = K^{.25} L^{.75} \Rightarrow Q^4 = K L^3 \Rightarrow K = \frac{Q^4}{L^3}$$

$$\text{So MRTS}_{KL} = -\frac{dK}{dL} = 3 \frac{Q^4}{L^4} = 3 \left( \frac{5,000}{10,000} \right)^4 = \frac{3}{16}$$

Also  $\frac{P_L}{P_K} = \frac{100}{300} = \frac{1}{3}$ . Mix is not optimal since  $\text{MRTS}_{KL} \neq \frac{P_L}{P_K}$

5. Note. Different answers possible due to different origin (Ian or Fiona).



(a) Initial allocation is A.

(b) Pareto efficient allocation is B, for example  
Tangency and both better off.

(c)  $\text{MRS}_{PD}$  needs to be equated.

It equals  $\frac{100}{D^2}$  for Ian and  $\frac{25}{D^2}$  for Fiona.

$$\text{Then } \frac{100}{D_{IAN}^2} = \frac{25}{D_{FIONA}^2} \Rightarrow D_{IAN}^2 = \frac{100}{25} \times D_{FIONA}^2 \Rightarrow D_{IAN} = 2 \times D_{FIONA}$$

Ian will have twice as many Digimon.

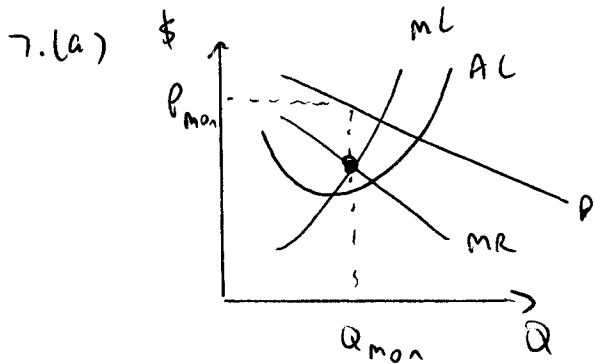
b.(a) Only way to make one person better off is to make someone else worse off.

(b) Each consumer sets  $\text{MRS}_{xy} = \frac{P_x}{P_y}$ .

Since they each face the same  $P_x$  &  $P_y$ , it must be that  $\text{MRS}_{xy}$  are equal.

(c) No. Pareto efficiency does not imply equity,  
and government is also concerned about equity.

Version A (cont.)

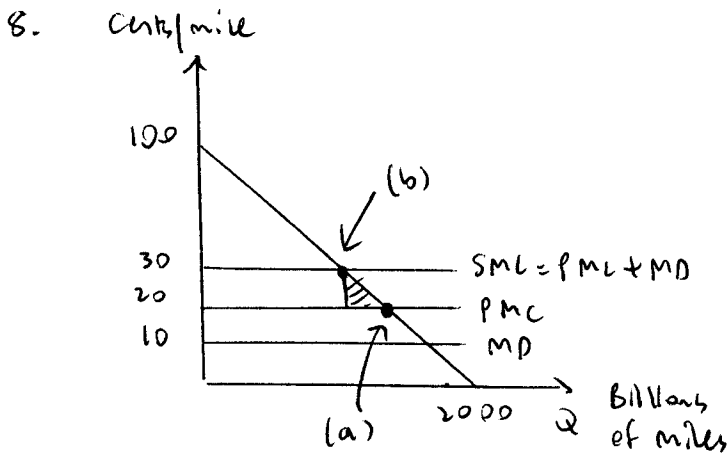


(b)  $\epsilon = -\% \Delta Q / \% \Delta P$

$\approx -\frac{5}{37} = -0.14$

Price elasticity is -0.14 (or even less)

(c) Probably not. MC is close to zero, so should MR be close to zero. But here revenue increased by 32% as prices rose. Should jack prices up even more.



Since  $Q = 2000 - 20P$

we have  $P = 100 - \frac{1}{20}Q$

(a)  $100 - \frac{1}{20}Q = 10$

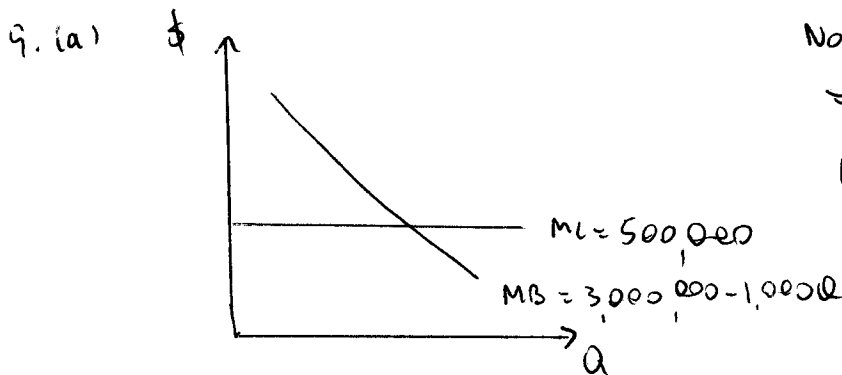
$\Rightarrow Q = \underline{1600}$  Billion miles

(b)  $100 - \frac{1}{20}Q = 30$

$\Rightarrow Q = \underline{1400}$  Billion miles

(c) Loss is the shaded area

$= \frac{1}{2} \times (1600 - 1400) \times (30 - 20) = \frac{1}{2} \times 200 \times 10 = 1,000 \text{ bill cents} = \$10 \text{ billion}$



Note that  $TC = 500,000 \times Q$

$\Rightarrow MC = 500,000$

(b)  $MB = MC$

$\Rightarrow 4,000,000 - 1,000Q = 500,000$

$\Rightarrow 1,000Q = 3,500,000$

$\Rightarrow Q = \underline{3,500}$  beds

(c) No. Consumption here is rival. One person's use of a hospital bed prevents another from using it.

[Or can say that ~~even~~ it is excludable so could be privately provided.]

Version B

Q1-Q3 Same as version A

Q4 (a)  $MPP_L = \frac{dQ}{dL} = \frac{d}{dL} (5L^{.75}) = 5 \times .75 \times L^{-.25} = 3.75 \times (10,000)^{-.25} = \frac{3.75}{10} = .375$

(b)  $MC = \# \text{ units to produce 1 more table} \times \text{cost of unit of labor}$   
 $= (MPP_L)^{-1} \times \text{wage} = (.375)^{-1} \times 200 = \underline{\underline{\$533.33}}$

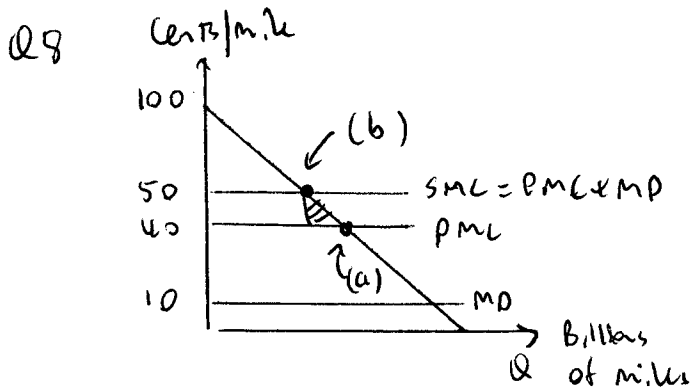
(c) First get  $MRTS_{KL}$

$Q = K^{.25} L^{.75} \Rightarrow Q^4 = KL^3 \Rightarrow K = \frac{Q^4}{L^3}$

So  $MRTS_{KL} = -\frac{dK}{dL} = 3\frac{Q^4}{L^4} = 3\left(\frac{Q}{L}\right)^4 = 3\left(\frac{5000}{10,000}\right)^4 = \frac{3}{16}$

Also  $P \frac{1}{P_K} = \frac{200}{500} = \frac{2}{5}$ . Mix B not optimal since  $MRTS_{KL} \neq \frac{3}{16}$ .

Q5-Q7 same as version A



Since  $Q = 2000 - 20P$   
 we have  $P = 100 - \frac{1}{20}Q$

(a)  $100 - \frac{1}{20}Q = 40$   
 $\Rightarrow Q = \underline{\underline{1200}}$  Billion miles

(b)  $100 - \frac{1}{20}Q = 50$   
 $\Rightarrow Q = \underline{\underline{1000}}$  Billion miles

(c) Loss is the shaded area

$= \frac{1}{2} \times (1200 - 1000) \times (50 - 40) = \frac{1}{2} \times 200 \times 10 = 1,000 \text{ bill cents} = \underline{\underline{\$10 \text{ Billion}}}$

Q9 Same

Multi-Choice Question

	1	2	3	4	5	6	7	8	9	10	11	12	13
Version A	d	b	b	c	c	b	a	c	c	d	c	a	b
Version B	b	a	a	c	d	a	b	c	a	d	d	b	c

Out of 80

75th percentile	58	Grade on Exam	C+	47 or better
Median	49	A	64 or better	C
25th percentile	38	A-	60 " "	C-
		B+	57 " "	D+
		B	53 " "	D
		B-	50 " "	D-