

Version A

1.(a)(i) D is optimum in absence of moral hazard.

(ii) H is optimum in presence of moral hazard.

(b) Buyers believe uniform on (50,90) given posted price of 90.

Expected value is  $(90+50)/2 = 70$  with utility  $U(70)=1.2 \times 70=84 < 90$ . **So do not buy.**

(c)(i) **No.** (As risk aversion rises consumers are more likely to purchase insurance even if it is offered at a premium above the actuarially fair premium).

(ii) **Yes.** (From the lecture notes and text there is no way to offer a single standardized policy).

2.(a) Easiest to answer per person. (Same ultimate answer if answer per 10 million people).

The marginal increase in costs per person is \$250,000.

The marginal benefit per person is 0.5 life-years =  $0.8 \times 0.5 = 0.4$  QALYs.

ICER =  $\$250,000 / 0.4 = \mathbf{\$625,000}$ .

(b)(i) Let X = lifetime cost of drug.

We need ICER  $\leq 100,000$  so  $X / 0.4 \leq 100,000$  so  $X \leq 0.4 \times 100,000 = \mathbf{\$40,000}$ .

(ii) **No.** it is unlikely as only a small fraction of people would be getting the discount.

(c) Direct cost of screening the 10,000 = (# initial tests x \$20) + (# confirmatory tests x \$200)

Method A: The way done in class with false positive rate applied to all tested

=  $(10,000 \times \$20) + (90\% \text{ of those with cancer} + 10\% \text{ of all those tested}) \times \$200$

=  $\$200,000 + (0.9 \times 100 + 0.1 \times 10000) \times \$200 = \$200,000 + (90+1000) \times \$200 = \mathbf{\$418,000}$ .

Method B: Alternative: false positive rate applied to only those without cancer

=  $(10,000 \times \$20) + (90\% \text{ of those with cancer} + 10\% \text{ of those without cancer}) \times \$200$

=  $\$200,000 + (0.9 \times 100 + 0.1 \times 9900) \times \$200 = \$200,000 + (90 + 990) \times \$200 = \mathbf{\$416,000}$ .

Benefit of screening = # detected x \$5,000 =  $90 \times \$5,000 = \$450,000$ .

The first test is **worthwhile** as marginal benefit exceeds marginal cost.

3.(a) False Adverse selection can occur even if there is no moral hazard.

(b) False Community-rating everyone pays the same price for the same policy (or if price varies by single/family or by age and usually not by income).

(c) True The U.S. is unusual in this respect.

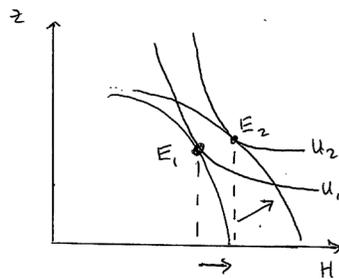
(d) False Six tests is not optimal but is still better than zero tests.

(e) True The incremental cost-effectiveness ratio is a key tool.

(f) True Health care demand increases with income.

**Version A (Continued)**

- 4.(a)(i) This is movement out in the health possibilities curve.  
 (ii) Consumer equilibrium moves from E1 to E2 and health capital has increased, as drawn.



- (b)(i) To explain the effect of illness the standard model needs to rotate the indifference map. The Grossman model instead leaves the indifference map unchanged and instead illness changes the ability to produce health capital.

(ii) High educated.

(c) Full credit given to all for this question as in Version B I asked a different question that I had not covered this year.

(i) Yes. Typically \$5 million - \$10 million.

(ii) No. Medicare is prevented from using cost-benefit analysis or cost effectiveness analysis.

5.(i) This is the average difference across years for the controls.

$$6046 - 5867 = \$179.$$

(ii) This is the average difference in year 1 between treated and controls.

$$6659 - 6046 = \$613. \text{ (Actually Stata will compute as } -\$613).$$

(iii)-(iv) We have

	Treated	Control
Year==2014	5534	5867
Year==2016	6659	6046

$$\text{Either } (6659 - 5534) - (6046 - 5867) = 1125 - 179 = \$946.$$

$$\text{Or } (6659 - 6046) - (5534 - 5867) = 613 - (-333) = \$946.$$

(v) This is the difference in difference estimate. Whatever you got in (iii)-(iv).

(vi) This is obtained by regressing log expenditure on log income.

**Multiple choice**

Question	1	2	3	4	5	6
Answer	a	c	a	b	d	b

**Scores out of 36**

75 <sup>th</sup> percentile	29 (81 %)
Median	26 (72 %)
25 <sup>th</sup> percentile	23 (64 %)

**Curve (Indication only: Course Grade is based on Total Score!)**

(Ave GPA 2.76 on this curve)	C+	24 and above
A	C	23 and above
A-	C-	22 and above
B+	D+	21 and above
B	D	20 and above
B-	D-	19 and above