## CORRECTED PAGE 540 LAST PARAGRAPH.

The result (i) of Proposition 16.1 is shown in Figure 16.2. We consider truncation of $z \sim \mathcal{N}[0,1]$ from below at $-c$ where $c$ ranges from -2 to 2 . The lowest curve is the standard normal density $\phi(c)$ evaluated at $c$. The middle curve is the standard normal $\operatorname{cdf} \Phi(c)$ evaluated at $c$ and gives the probability of truncation when truncation is at $c$. This probability is approximately 0.023 at $c=-2$ and 0.977 at $c=2$. The upper curve gives the truncated mean $\mathrm{E}[z \mid z>-c]=\phi(c) / \Phi(c)$ which is the inverse Mills ratio from (16.22). As expected this is close to $\mathrm{E}[z]=0$ for $c=2$, since then $-c=-2$ so there is little truncation, and $\mathrm{E}[z \mid z>-c]>-c$. What is not expected a priori is that $\phi(c) / \Phi(c)$ is approximately linear, especially for $c<0$. Moments when truncation is from above can be obtained using, for example, $\mathrm{E}[z \mid z<c]=-\mathrm{E}[-z \mid-z \geq-c]=-\phi(c) / \Phi(c)$.

